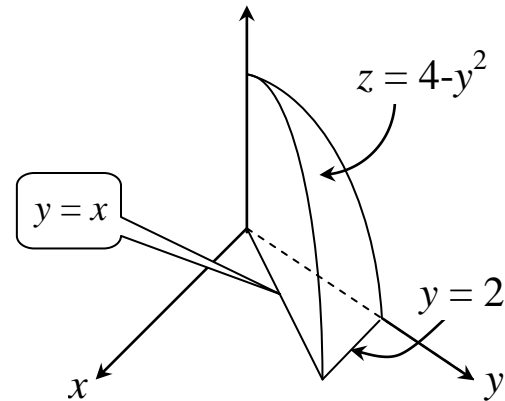


I- Consider the following solid region in space:

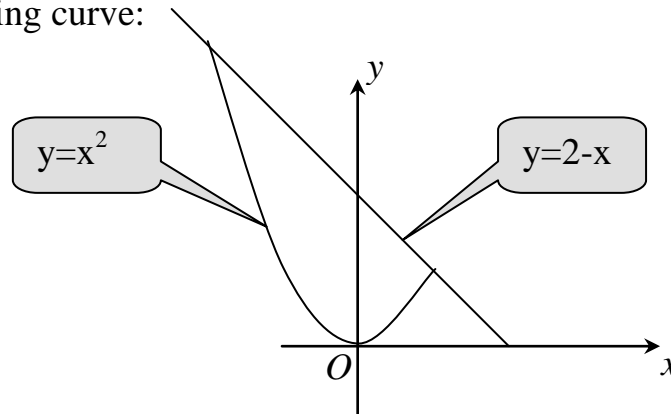


- a. Write two different iterated triple integrals to represent the above solid.
- b. Evaluate the volume of the above solid.

II- Consider a triangular sail with vertices of $(0,0)$, $(2,1)$, and $(0,3)$. For safety reasons, we intent to find the center of pressure for this sail.

- a. Draw the specified region that represents the given sail.
- b. Suppose that the concentration of mass (density function) of the sail is given by the function: $\delta(x, y) = y$.
 - i. Find the mass of the sail.
 - ii. Locate the center of pressure of the given sail.

III- Consider the following curve:



- a. Redraw the given curves on your answer sheet. And specify all bounding curves.
- b. Express the area of enclosed region given below as a sum of two iterated integrals.
- c. Evaluate this area.

IV- Consider a solid of constant density δ bounded from below by the disk $R: x^2 + y^2 \leq 4$ in the plane $z = 0$ and from above by the paraboloid $z = 4 - x^2 - y^2$.

- a. Sketch specified region.
- b. Find the center of mass of the given solid.