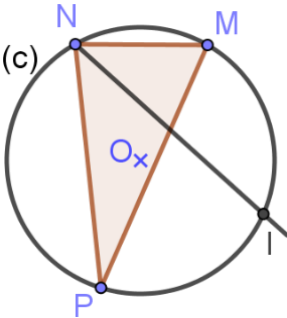


- يسمح باستعمال آلة حاسبة غير قابلة للبرمجة
- يمكن الإجابة على المسائل بالترتيب الذي تريد
- يرجى الإجابة بخط واضح ومرتب
- العلامة القصوى من 20 .

Exercise I: (9pts)

In the following table, **just one** of the proposed answers is correct. Indicate the number of the question and its corresponding answer **and justify**.

No.	Questions	Answers		
		a	b	c
1.	Consider the two circles $C_1(O_1, \sqrt{13^2 - 12^2})$ and $C_2(O_2, \frac{9^3 - 3^4}{3^5} \times 9)$ such that $O_1O_2 = (5 - \sqrt{2})^2 + 2(1 + 5\sqrt{2})$. Then (C_1) and (C_2) are: ..(3 pts)	Externally Tangent	Internally Tangent	Externally Disjoint
2.	A, B and C are three points in a plane such that: $\checkmark AB = \frac{0.4 + (\frac{1}{3})^2}{(1.3 - \frac{10}{3})^2} \times 6^2 \text{ cm}$ $\checkmark AC = \frac{2.8 \times 10^{19} + 0.77 \times 10^{20}}{46 \times 10^{18} - 0.031 \times 10^{21}} - 3 \text{ cm}$ $\checkmark BC = (\frac{3}{7} + \frac{4}{7} \times 5 \div \frac{1}{3}) \times 3^{-1} \text{ cm}$ Then the nature of the triangle ABC is: .. (4 pts)	Right at C	Semi-Equilateral	Right Isoscles at C
3.	In the adjacent figure MNP is a triangle whose vertices are on (c) If [NI] is the bisector of $M\hat{N}P$ then,....(2pts) 	$I\hat{P}M = I\hat{M}P$	$I\hat{P}M = 2I\hat{M}P$	$I\hat{M}P = \frac{I\hat{P}M}{2}$

Exercise 2: (3½pts)

In the adjacent figure we have:

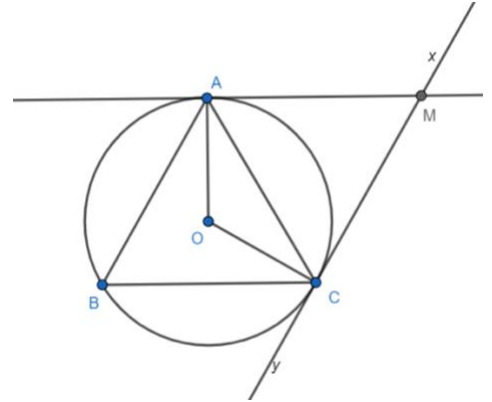
✓ $mes\widehat{AC} = \frac{(0.24)^2 \times 2 \times (0.9)^2 \times 15}{(-0.3)^4 \times (1.2)^2}$ degrees.

✓ (xy) tangent to (C) at C.

1) Show that $\widehat{ABC} = 60^\circ$ then deduce the value of $x\widehat{CA}$. (2½pts)

2) The tangent to (C) at A cuts (xy) at M.

What is the nature of the triangle AMC? Justify(1pt)



Exercise 3: (7½ pts)

(C) is a circle of center O and radius $r = 3\text{cm}$ and diameter $[AB]$. M is a point on (C) such that $\widehat{AM} = 60^\circ$.

Let (d) & (T) be two tangents to (C) at A and M respectively. (T) cuts (d) at point N.

1) Draw a clear and coded figure. (¾pt)

2) Determine the nature of triangle AMO. (¾pt)

3) The parallel through O to (AM) cuts (T) at P.

a. Prove that triangles MOP and OPB are congruent. (1½pts)

b. What does (PB) represent for the circle (C) ? and (PO) for segment $[MB]$? Justify. (1¼pts)

c. Prove that $NP = NA + PB$. (1¼pts)

4) Let Q be the symmetric of M with respect to O.

a) Prove that AMBQ is a rectangle. (1pt)

b) Calculate its area. (1pt)

GOOD WORK