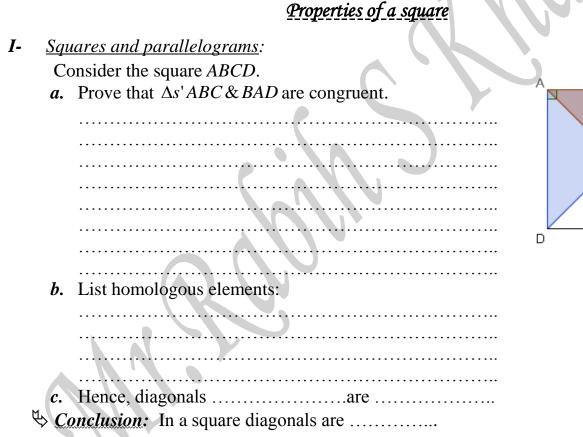


*AD* = .....

.....equal sides.



 <u>Other properties of a square:</u>

1- In a square, the four angles are right.

 $c. AB = \dots BC = \dots CD = \dots$ 

*d*. Hence,  $AB = \dots = \dots = \dots = \dots = \dots cm$ .

Sconclusion: A square has four ..... angles and ...

- 2- In a square, the adjacent sides are perpendicular and the opposite sides are parallel.
- 3- In a square, the diagonals are equal and perpendicular.
- 4- In a square, the diagonals bisect each other at a right angle and bisect the angles of the square.
- 5- In a square, the *diagonals* and the *perpndicular bisectors* of the sides are *axes* of *symmtery*.
- 6- In a square, *the intersection point* of the *diagonals* is the *center of symmetry*.

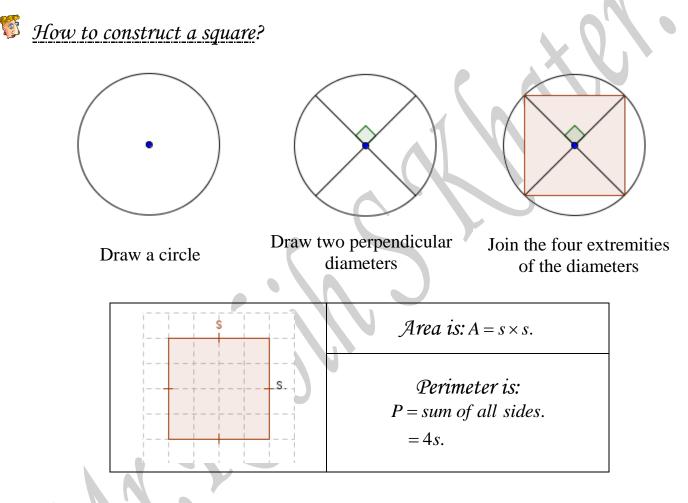
В

С

## <sup>©</sup> <u>How to prove a quadrilateral is a square</u>?

To prove a quadrilateral to be a square it is sufficient to prove one of the following properties:

- *i- Starting from the definition:* Four equal sides and one right angle.
- *ii- Starting from diagonals:* Diagonals are perpendicular, equal and bisect each other.
- *iii-<u>Starting from diagonals and angles</u>:* Diagonals are equal and bisect the angle of the quadrilateral.



## Rote that

- Axis of Symmetry is a line that divides the figure into two symmetrical parts in such a way that the figure on one side is the mirror image of the figure on the other side.
- Solution There can be drawn four such lines that would divide the figure into two symmetrical parts, as shown.

