
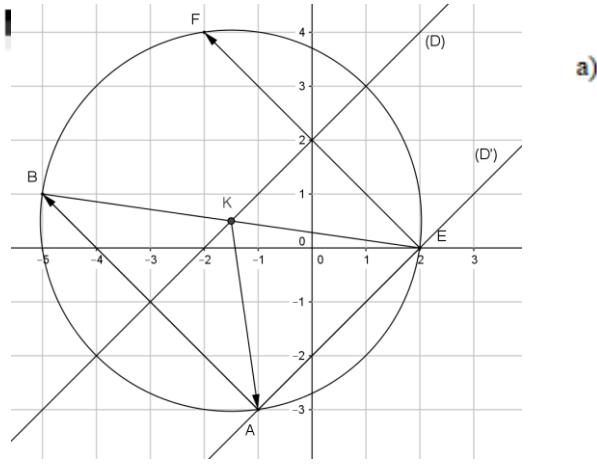
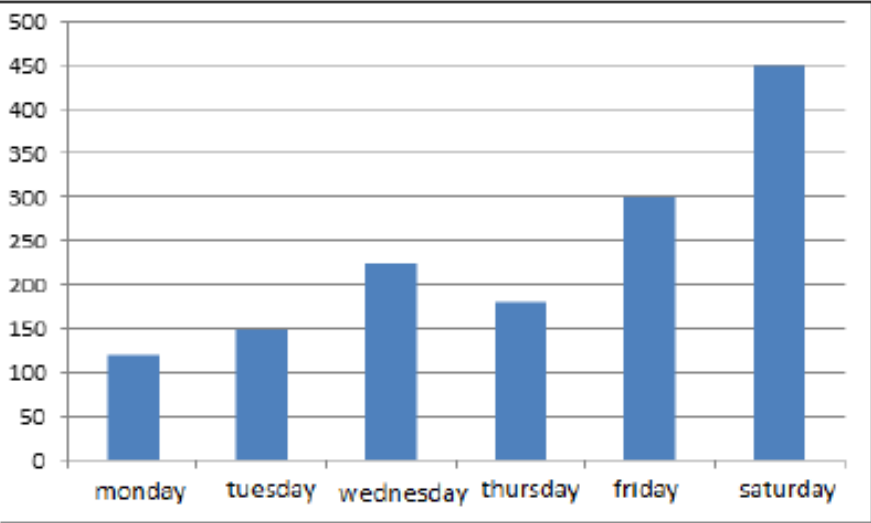
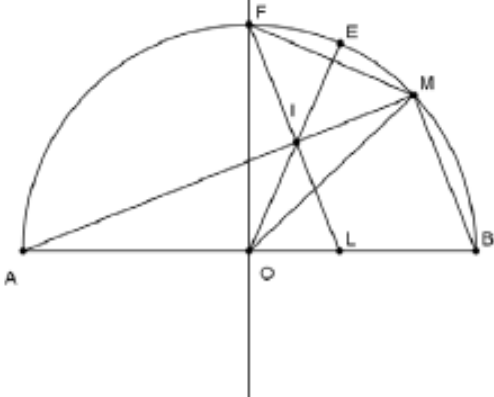


المادة: الرياضيات الشهادة: المتوسطة نموذج رقم ٤ - المدة : ساعتان	الهيئة الأكاديمية المشتركة قسم : الرياضيات	 المركز التربوي للبحوث والإنماء
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أسس التصحيح (تراعي تعليق الدروس والتوصيف المعدل للعام الدراسي ٢٠١٦-٢٠١٧ وحتى صدور المناهج المطورة)

Question	اسس التصحيح	Note
I	1) True Justification: substitute x by $(\sqrt{3} - 1)$ the equation is verified.	0.5
	2) False Justification : if x is the initial price, after first decrease the price is $0.8x$; after the second the price = $0.8 \cdot (0.8x) = 0,64x$. the price decrease de 36%.	0.5
	3) True Justification : $(x + 1)^2 - (x - 1)^2 = 4x$ positive product of 2 positives numbers.	0.5
	4) True. Justification : $\cos^2 \hat{C} + \cos^2 \hat{B} = \frac{AC^2}{BC^2} + \frac{AB^2}{BC^2} = \frac{AC^2 + AB^2}{BC^2} = 1$	0.5
II	1) 	0.5
	b) Slope of (AB) = -1, $a_{(AB)} \times a_{(D)} = -1$ then (D) \perp to (AB). The midpoint of [AB] have coordinates (-3, -1) et $-1 = -3 + 2$ which is on (D) then (D) is the perpendicular bisector of [AB].	1
	a) K midpoint of [EB] then $K(-3/2, 1/2)$ Radius of the circle = $\frac{AB}{2} = \frac{\sqrt{50}}{2}$ or $AK = \sqrt{\frac{50}{4}} = \frac{AB}{2} =$ radius, K is on (C).	1
	2) b) $KM = \sqrt{(m - \frac{1}{2})^2}$, M is on (C) then $KM =$ radius, $\sqrt{(m - \frac{1}{2})^2} = \sqrt{\frac{50}{4}}$ then $(m - \frac{1}{2})^2 = \frac{50}{4}$ $(m - \frac{1}{2}) = \frac{\sqrt{50}}{2}$ or $(m - \frac{1}{2}) = \frac{-\sqrt{50}}{2}$ then $m = \frac{\sqrt{50}}{2} + \frac{1}{2}$ or $m = \frac{-\sqrt{50}}{2} + \frac{1}{2}$.	1
	3) a) $\vec{EF} = \vec{AB}$, $x_F - 2 = -4$ and $y_F = 4$ then F (-2, 4). ABEF is a rectangle. (parm + right angle)	1

		<p>b) K point on (D) and A translate of K, $(AE) \parallel$ to (D) then $(D') = (AE)$.</p> <p>slope of $(AE) = \frac{y_E - y_A}{x_E - x_A} = 1$ or a $(D') = a(D) = 1$, $y = x + b$ or A is on (D') then $y_A = x_A + b$, $b = -2$.</p>	1														
III	1)	<table border="1"> <thead> <tr> <th>day</th> <th>Monda y</th> <th>Tuesda y</th> <th>Wednesda y</th> <th>Thursday</th> <th>Friday</th> <th>Saturda y</th> </tr> </thead> <tbody> <tr> <td>frequency</td> <td>120</td> <td>150</td> <td>225</td> <td>180</td> <td>300</td> <td>450</td> </tr> </tbody> </table>	day	Monda y	Tuesda y	Wednesda y	Thursday	Friday	Saturda y	frequency	120	150	225	180	300	450	1,25
	day	Monda y	Tuesda y	Wednesda y	Thursday	Friday	Saturda y										
	frequency	120	150	225	180	300	450										
2)	The percentage of televisions not sales $\frac{75}{1500} = 5\%$	0,5															
3)		0,75															
IV	a-	$Q(x) = (x - 2)^2 + 5(x - 3)(2 - x) + x^2 - 4$ $= x^2 - 4x + 4 + 5(-x^2 + 5x - 6) + x^2 - 4$ $= -3x^2 + 21x - 30$	0,5														
	1) b-	$Q(x) = -30$ then $Q(x) + 30 = 0$ then $x = 0$ or $x = 7$	0,5														
	c-	$Q(x) = (x - 2)^2 + 5(x - 3)(2 - x) + (x - 2)(x + 2)$ $= (x - 2)[(x - 2) - 5(x - 3) + (x + 2)]$ $= (x - 2)(-3x + 15)$	0,5														
	2) a-	$D(x) \neq 0$ then $x^2 - 4x + 4 + (2x - 4)(x + 3) \neq 0$ $(x - 2)(3x + 4) \neq 0$. Then $x \neq 2$ and $x \neq \frac{-4}{3}$	0,75														
	b-	$F(x) = \frac{(x - 2)(-3x + 15)}{(x - 2)(3x + 4)} = \frac{-3x + 15}{3x + 4}$ $F(x) = 2, \frac{-3x + 15}{3x + 4} = 2$ $-3x + 15 = 2(3x + 4)$ $x = \frac{7}{9}$	0,25 0,5														
V	<p>Let x be the price of tishirt and y the price of pant.</p> $\begin{cases} 4x + 3y = 100\,000 \\ 6x + 5y = 120\,000 \end{cases}$	1,25															
	$y = -80\,000$ LL impossible my cousin is wrong.	0,75															

	<p>1)</p> 	0,5
VI	<p>a) $\widehat{AMB} = 90^\circ$ (AMB inscribed in semicircle (C)) $\widehat{AOD} = 90^\circ$</p> <p>2) $\widehat{ADO} = \widehat{ABM} = 90 - \widehat{ADO}$</p>	1
	<p>b) $\frac{AM}{AO} = \frac{AB}{AD}$ then $AM \times AD = AB \times AO = 6 \times 3 = 18$.</p>	0,5
	<p>3) (OE) axis of symmetry in the isosceles triangle OFM. I point of the axis, then $IF = IM$ then the triangle IFM is isosceles.</p> <p>$\widehat{AMF} = \widehat{IMF} = 90 / 2 = 45^\circ$, then FIM right isosceles triangle.</p>	1
	<p>4) (FI) // (MB) two perpendiculars to (MB). Thales: $\frac{LA}{LB} = \frac{IA}{IM}$ or $IM = IF$ then $\frac{LA}{LB} = \frac{IA}{IF}$.</p>	1
	<p>5) In the triangle AMB: $MH \times AB = MA \times MB$ $MH \times 6 = \frac{18}{AD} \times MB$ then $MH = \frac{18 \times MB}{6 \times AD} = \frac{3 \times MB}{AD}$</p>	1