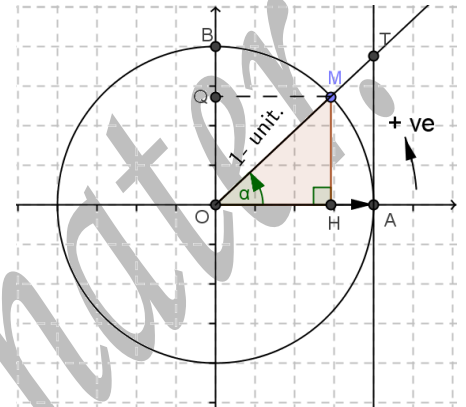


Definitions and over view:

Observe the adjacent figure and use your knowledge to answer the following:

1) What does the adjacent figure represent? Justify.



2) \overline{OM} : representsof the right triangle OMH .

3) \overline{HM} : representsof the angle

4) \overline{AT} : represents the.....

5) The st. line perpendicular to \sin -axis at B represents

6) The polar coordinates of any point M (.....;.....)

7) $|\cos \alpha| \leq \dots\dots\dots$, $\sin \alpha$ belongs to....., $-\infty < \dots\dots\dots$ & $\dots\dots\dots < +\infty$

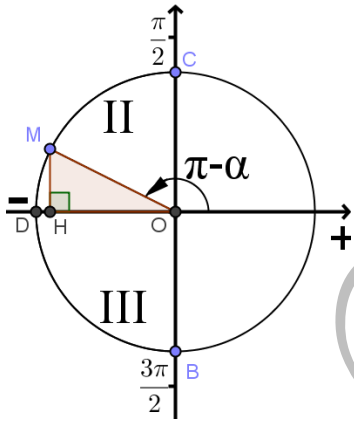
8) The sine & cosine lines are periodic of period.....

9) The trigonometric lines, are periodic of period π .

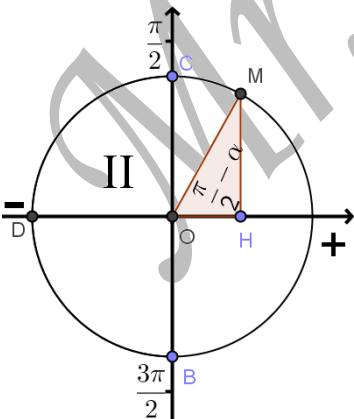
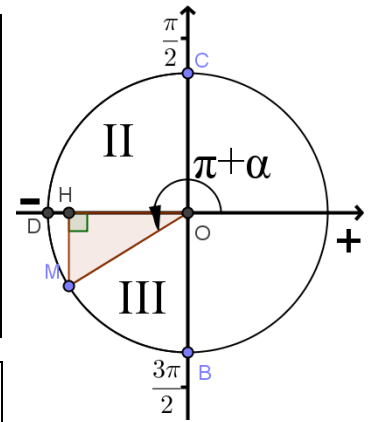
10) $\sin^2 \alpha + \cos^2 \alpha = \dots\dots$ so, $\sin^2 \alpha = \dots\dots\dots$ or

11) $\tan \alpha \times \dots\dots = 1$, $\tan^2 \alpha = \dots\dots\dots$

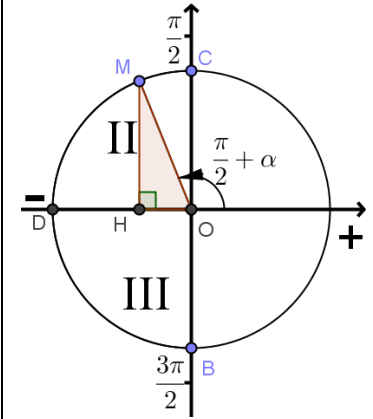
12) Complete the following tables of associated arcs for:

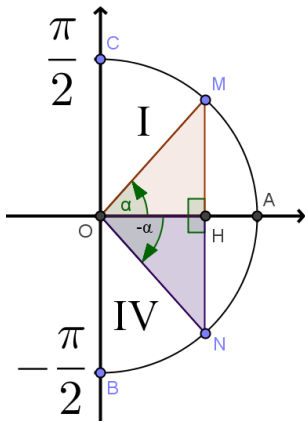


Supplementary arcs: (α & $\pi - \alpha$)	Arcs differing by π : (α & $\pi + \alpha$)
$\cos(\pi - \alpha) =$	$\cos(\pi + \alpha) =$
$\sin(\pi - \alpha) =$	$\sin(\pi + \alpha) =$
$\tan(\pi - \alpha) =$	$\tan(\pi + \alpha) =$
$\cot(\pi - \alpha) =$	$\cot(\pi + \alpha) =$



Complementary arcs: (α & $\frac{\pi}{2} - \alpha$)	Arcs differing by $\frac{\pi}{2}$: (α & $\frac{\pi}{2} + \alpha$)
$\cos(\frac{\pi}{2} - \alpha) =$	$\cos(\frac{\pi}{2} + \alpha) =$
$\sin(\frac{\pi}{2} - \alpha) =$	$\sin(\frac{\pi}{2} + \alpha) =$
$\tan(\frac{\pi}{2} - \alpha) =$	$\tan(\frac{\pi}{2} + \alpha) =$
$\cot(\frac{\pi}{2} - \alpha) =$	$\cot(\frac{\pi}{2} + \alpha) =$





Opposite arcs: (α & $-\alpha$)	Arcs differing by $2k\pi$: (α & $\alpha \pm 2k\pi$) s.t($k \in Z$)
$\cos(-\alpha) =$	$\cos(\alpha \pm 2k\pi) =$
$\sin(-\alpha) =$	$\sin(\alpha \pm 2k\pi) =$
$\tan(-\alpha) =$	$\tan(\alpha \pm 2k\pi) =$
$\cot(-\alpha) =$	$\cot(\alpha \pm 2k\pi) =$

To determine a simplification for any trigonometric function:

- 1- Write given angle as a sum or difference of two angles one of which is of the form: $\frac{\pi}{2}, \pi, 2\pi \dots$
- 2- Determine in which , does the specified arc exist.
- 3- Finally find the sign of the given.....in this quadrant.

👁️ Remember the circular functions are **interchanged** in two cases only:

- a- If the arc is..... or one of its multiples.
- b- If the arcs differ by a or one of its multiples.
- c- If the arcs are