

But in ^{right} $\triangle BDC$ (angle of rectangle = 90°)
 O is the midpoint of the hyp [BD].
 [BC] shortest side = OB. (given)
 So, $\triangle OBC$ is a semi-equilateral \triangle
 shortest side = $\frac{\text{hyp}}{2}$.

Then, $\angle OBC$ is side facing shortest side
 $\angle OBC = 30^\circ$.

Thus, $\angle OBC = 90^\circ - 30^\circ$

$\angle OBC = 60^\circ$

So, $\triangle OBC$ is equilateral \triangle
 (isosceles + 60°).

$\triangle MBO$ is isosceles at B (proved)

So, the height [BO] issued from main vertex
 is also the bisector of $\angle MBN$

$\angle MBC = \angle MBO + \angle OBC$

$\angle MBO = 90^\circ - 60^\circ$

$\angle MBO = 30^\circ$

4) $\angle MBC = \angle MBN + \angle NBC$

$\angle NBC = 90^\circ - 60^\circ$

$\angle NBC = 30^\circ$

$\angle OBC = \angle NBC + \angle OBN$

$60^\circ = 2(30^\circ)$

Thus, [BN] is the bisector of $\angle OBC$.