

5th exercise:

a) Using option-I: "Pay 3€ for every traveled km"
then, $f(x) = 3x$.

Using option-II: $g(x) = 10€ + 3\left(1 - \frac{30}{100}\right)x$

Thus, $g(x) = 10 + 2.1x$.

b) To check which offer is more beneficial, we $x = 13$ we compare $f(13)$ & $g(13)$

$$f(13) = 13(3) = 39€$$

$$g(13) = 10 + 2.1(13) = 37.3€$$

Since $f(13) > g(13)$

Thus, option II is more advantageous for traveled distance is 13 km

2) Option-I is more advantageous than option-II if amount of money $f(x)$ is less than $g(x)$

$$3x < 10 + 2.1x$$

$$0.9x < 10$$

$$x < 11.11 \text{ km}$$

where as option II is more advantageous if traveled distance is strictly greater than 11.11 km

6th exercise:

$$\begin{cases} x^2 - 4 \geq x(x+4) & \text{--- (1)} \\ x^2 \geq -1 & \text{--- (2)} \end{cases}$$

Inequality (1):

$$x^2 - 4 \geq x(x+4)$$

$$-4 \geq 4x$$

$$\boxed{x \leq -1} \text{ hence, } S_1 =]-\infty, -1]$$

Inequality (2):

$$x^2 \geq -1$$

$$\text{so } x^2 + 1 > 0$$

which is true for all real values of x

(Sum of two real (+ve) nos).

$$\text{hence, } S_2 =]-\infty, +\infty[$$