

$$KO = 2r$$

$$= 2x$$

3) In right $\triangle KAO$:
Apply Pythagorean Theorem:

$$Kp^2 = leg^2 + leg^2$$

$$KO^2 = AO^2 + KA^2$$

$$(2x)^2 = x^2 + (3\sqrt{3})^2$$

$$4x^2 = x^2 + 27$$

$$3x^2 = 27$$

$$\sqrt{x^2} = \sqrt{9}$$

$$\oplus x = 3 \text{ cm.} \quad \text{Radius} = 3 \text{ cm.}$$

Accepted.

In $\triangle KFA$ we have:

$AF = FO$ (For perpendicular bisector of KA)
Equivalent for A & O .

But, $FO = FK$ (proved)

So, by comparison: $AF = FK$.

Thus, $\triangle EKA$ is isosceles (Having 2 equal sides)

4) In $\triangle FOA$: $FA = FO = AO = 3$ (proved)
 $\triangle FOA$ equilateral.

In $\triangle MOB$: $OB = OM = MB = 3$ cm (equal radii - given)

Then, by comparison: $FA = MB$.

Equal chords are held between 2 parallel chords

So, (EM) parallel (AB) .

Then, quadrilateral $EMBA$ is isosceles trapezoid
Having 1 pair of parallel sides and
1 pair equal sides

5) Since G is the centroid of $\triangle AMB$ (given).
So, $OG = \frac{OM}{3}$ (centroid ratios)

$$OG = \frac{3}{3} \quad (OM = \text{radius} = 3 \text{ cm})$$

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$$\boxed{OG = 1 \text{ cm}}$$