

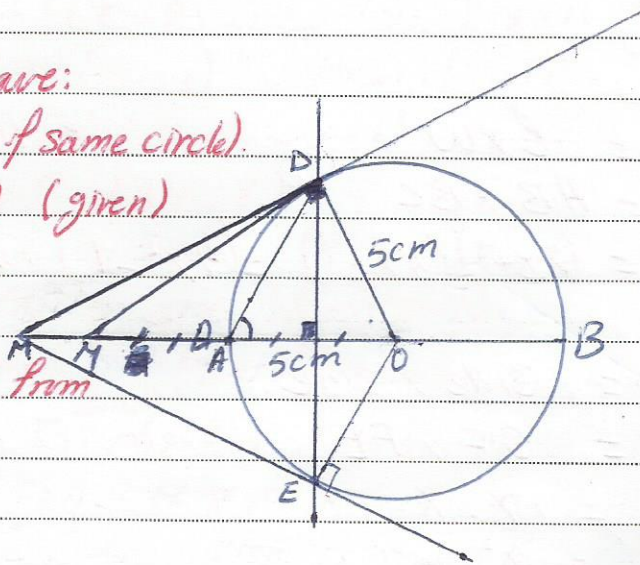
5<sup>th</sup> exercise:

1. a. i) In  $\triangle AOD$  we have:

$OA = OD$  (radii of same circle)

$D$  belong to  $[AO]$  (given)

$\Rightarrow D$  is equidistant from  $A$  &  $O$ .



$\Rightarrow DA = DO$

Hence,  $DA = DO = AO$  (by sub.)

So,  $\triangle ADO$  is equilateral  $\triangle$  (having three equal sides)

$\therefore \hat{DAO} = 60^\circ$  (angle in an equilateral  $\triangle$ )

ii)  $A \hat{M} O$  (by symmetry)

$\Rightarrow [DA]$  is a median

$DA = AO$  (sides of equilateral  $\triangle$ )

and  $MA = AO$  (by mid pt)

$\Rightarrow DA = AO = AM$  (by sub.)

$\therefore \triangle AMO$  is right at  $D$  (mid pt theorem in right  $\triangle$ )

$$DA = \frac{1}{2} MO$$

b.  $\hat{MDO} = 90^\circ$  (proved)

$\Rightarrow (MD) \perp (OD)$  at  $D$

$[OD]$  radius (given)

Point  $D$  belong to  $(c)$ .

$\therefore (AD)$  is tangent to  $(c)$  at  $(D)$

$E$  belong to  $[AO]$

$E$  belong  $(c)$