

2) In $\triangle AMO$ we have:

$AO = OM$ (radii of the same semi-circle are equal).

H is the midpoint of AO (given).

The perpendicular $[MH]$ to $[AB]$ cuts AO at its midpoint H .

So, $[MH]$ is the perpendicular bisector of $[AO]$.

So, H is equidistant from A & O .

$$AM = MO.$$

Then, $AM = MO = OA$.

Thus, $\triangle AMO$ is equilateral having 3 equal sides.

• $AM = \text{radius} = \frac{\text{diameter}}{2} = 6 \text{ cm}$

• Apply Pythagorean theorem in right $\triangle AMH$ at H :

$$MA^2 = MH^2 + HA^2$$

$$6^2 = MH^2 + 3^2$$

$$MH^2 = 36 - 9$$

$$\sqrt{MH^2} = \sqrt{27}$$

$$\textcircled{+} MH = 3\sqrt{3} \text{ cm}$$

accept

3) In $\triangle AMB$ we have:

$\hat{A}MB$ is an inscribed angle facing diameter in (C) .

So, $\hat{A}MB = 90^\circ$.

But $\hat{M}AB = 60^\circ$ (angle of equilateral \triangle).

Then $\triangle AMB$ is a ~~right~~ equilateral. (right $+ 60^\circ$).

• ~~Apply Pythagorean~~ $[MB]$ is the side facing 60°

$$\text{in } \triangle AMB \quad \text{hyp} \times \frac{\sqrt{3}}{2}$$

$$= \frac{12\sqrt{3}}{2}$$

$$MB = 6\sqrt{3} \text{ cm}$$

$$MB \approx 10.392 \text{ cm}$$