

$$2) \bar{X} = \frac{\sum_{i=1}^4 x_i \cdot n_i}{N}$$

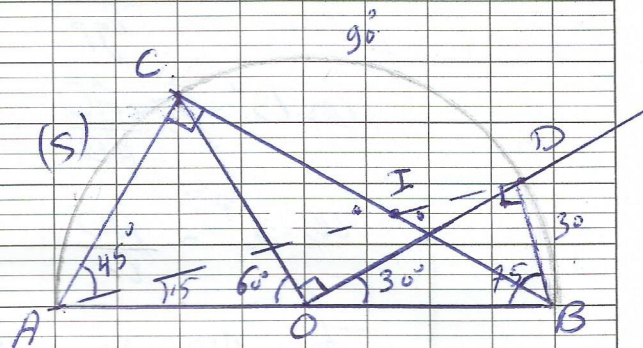
$$= \frac{37(5) + 38(22) + 41(17) + 42(36)}{80}$$

$$\bar{X} = \frac{185 + 836 + 697 + 1512}{80}$$

$$= \frac{3230}{80} = 40.375$$

4<sup>th</sup> exercise:

- 1a)  $[AB]$  is a diameter of  $(S)$ .  
 So,  $\text{mes}(\widehat{AC} + \widehat{CB}) = 180^\circ$   
 but,  $\text{mes} \widehat{BC} = 2 \text{mes} \widehat{AC}$  (given)  
 So,  $\text{mes}(\widehat{AC} + 2\widehat{AC}) = 180^\circ$   
 Thus  $\text{mes} \widehat{AC} = \frac{180^\circ}{3} = 60^\circ$



- b)  $\widehat{AOC} = \text{mes}(\widehat{AC})$  (central angle intercepting  $\widehat{AC}$ )

$$= 60^\circ;$$

$$\widehat{AOB} = 180^\circ \text{ (central angle held by the diameter)}$$

$$\widehat{AOB} = \widehat{AOC} + \widehat{COD} + \widehat{DOB}$$

$$180^\circ = 60^\circ + 90^\circ + \widehat{DOB}$$

$$\text{hence } \widehat{DOB} = 30^\circ$$

$$\text{but } \text{mes} \widehat{DB} = \widehat{DOB} \text{ (mes of arc held by a central angle)}$$

$$\text{Thus, } \text{mes} \widehat{DB} = 30^\circ.$$

In  $\triangle ABC$  we have:

$C$  is a pt on  $(S)$  with diameter  $[AB]$  (given)

So,  $\angle ACB = 90^\circ$  (inscribed angle facing diameter.)

$\angle AOC = 60^\circ$  (proved)

Thus,  $\triangle ABC$  is semi equilateral of vertex  $A$ .