



The complete form of a quadratic function is given by: $h(x) = ax^2 + bx + c$



➤ To solve a quadratic inequality of the form $ax^2 + bx + c < \text{or} > 0$ 

1 Write the given quadratic inequality in the form $h(x) = (x - h)^2 + k$ "by completing the square"

2 Graph the function: $h(x) = (x - h)^2 + k$ "carefully".

3 Specify the x - intercepts of $h(x)$ "by solving $(x - h)^2 + k = 0$ "

4 Detect  the sign of the inequality:

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|--|--|
|  $h(x) = ax^2 + bx + c > 0$ |  $h(x) = ax^2 + bx + c < 0$ |
| Then take values of x for which the graph is | |
| Strictly above the x -axis | Strictly below the x -axis |



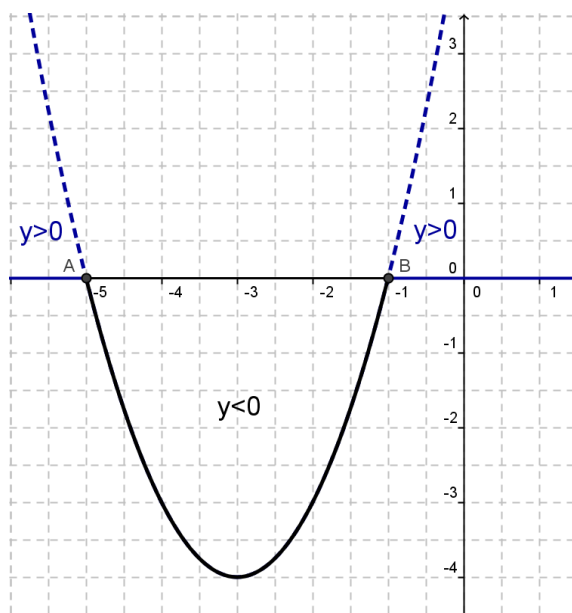
Solve graphically the following inequality: $h(x) = x^2 - 6x + 5 \geq 0$

1st - Step: Change form: $h(x) = x^2 - 6x + 5 = (x - 3)^2 - 4$, which is a parabola of vertex $V(-3; -4)$

2nd - Step: Graph $h(x)$

3rd - Step: Specify x - intercepts: $A(-5; 0)$ and $B(-1; 0)$.

4th - Step: Detect given sign: $h(x) \geq 0$



Thus, $x \in]-\infty; -5] \cup [-1; +\infty[$

