| ALMahdi High Schools | Mathematics | $10^{\text {th }}$-Grade |
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| Name: . . . . . . | "Domain and Parity" | W.S-10 |

I- Consider the following curves:


II- Complete the following curves so that:


III- Determine the values of $x$ for which there exists a $y$ (domain of definition)
a. $f(x)=\frac{x-1}{x^{2}-3 x+2}$
b. $g(x)=\frac{x+3}{x^{2}+4 x-3}$
c. $h(x)=\frac{x}{x^{2}+1}$
d. $k(x)=\frac{x}{|x+2|-3}$
e. $l(x)=\frac{x}{|x|+2}$
f. $m(x)=\frac{x}{|x-1|}$
g. $n(x)=\frac{\sqrt{x-2}}{|x-2|+1}$
h. $p(x)=\frac{x}{\sqrt{3-x}}$
i. $q(x)=\sqrt{\frac{x-1}{2-x}}$

IV- Choose the only correct answer with justification:

| $\mathcal{N}$ o. | Questions | Proposed choices |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  | A | $\mathfrak{B}$ | C |
| 1. | The function $g: x \mapsto g(x)=\frac{\sqrt{x-2}}{(\|x\|-3)(x-2)}$ is defined for all $x \in$ | $]-\infty,-3[\cup] 2,3[$ | [2; $+\infty$ [ | $] 2 ; 3[\cup] 3 ;+\infty[$ |
| 2. | The graph of the function $S$ defined over $\mathbb{R}$ by $S(x)=\frac{x \sin x}{2-x^{2}}$ is symmetric with respect to | Abscissa axis | Origin | $y-a x i s$ |
| 3. | $h(x)=g(\|x\|)$ then, $h$ is | Even | Odd | Can't tell |
| 4. | The function $f: x \mapsto f(x)=\frac{\sqrt{x^{2}-4}}{\sqrt{x+4}}$ is defined over the interval: | $]-\infty ;-2] \cup[2 ;+\infty[$ | $[-4 ;+2]$ | $]-4 ;-2] \cup[2 ; \infty[$ |
|  | The function $f$ defined on $R^{*}$ by : $f(x)=\frac{x^{2}-2}{\|x\|}$ is : | odd | even | Neither even nor odd |
|  | The function $f$ defined by $f(x)=\frac{\sqrt{1-x}}{x+2}$ the domain of definition of $f$ is : | $]-\infty,-2[\cup]-2,1]$ | ]-2,+1[ | [-2;1[ |
|  | The function $f$ defined by $f(x)=\frac{5 x-1}{\sqrt{1-\|x\|}}$ the domain of definition of $f$ is : | [-1;1] | $-\infty,-1[\cup$ | [ ]-1,+1[ |
|  | The function $f$ defined on $R$ by : $f(x)=\frac{-x^{2}+4}{x}$ is : | odd | even | Neither even nor odd |

$\boldsymbol{V}$ - Consider the function $f$ defined by its representative curve $C_{f}$ in the figure below: 1- Domain and Parity:
a. Determine domain and range of $f$.
b. Does $f$ admit any parity? Justify.

2- Assume in this part that $f$ is defined over $I=[-4 ; 4]$.
Complete the graph of $f$ so that $C_{f}$ is symmetric w.r.t:
a. $y$-axis.


