

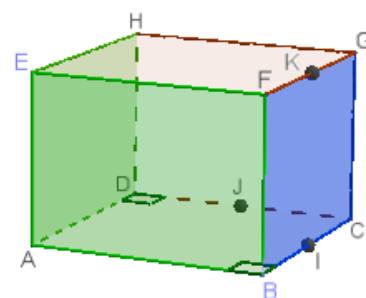
I- TRUE - FALSE questions:

A-

		True	False
1-	In a plane, two disjoint straight-lines are parallel		
2-	Two straight-lines parallel to the same plane are parallel		
3-	If P and Q are any two parallel planes, then every straight-line in the first is parallel to the second		
4-	In Cavalier's perspective, two segments of equal lengths are represented by segments having equal lengths		
5-	In Cavalier's perspective, a right angle is always represented by a right angle		

B- If $ABCDEFGH$ is a cube, where I, J, K are the midpoints of $[BC]$, $[CD]$ and $[FG]$ respectively, then

		True	False
1-	(IJK) and (AEH) are parallel		
2-	(IJ) and (BD) are parallel		
3-	(AC) and (EF) are parallel		
4-	(IK) and (GH) are skew		
5-	(IK) and (HD) are non-coplanar		
6-	(IJK) and (EFG) have only one point in common		
7-	(IJ) and (AF) are parallel		
8-	(EG) and (AB) are parallel		
9-	(IK) and (AE) are skew		
10-	(IK) and (CD) are non-coplanar		



C-

		True	False
1-	In space, two disjoint straight-lines are parallel		
2-	Two straight-lines parallel to a third straight-line are parallel		
3-	If a straight-line is parallel to a plane, then it is parallel to every straight-line in this plane		
4-	In Cavalier's perspective, a square is always represented by a square		
5-	In Cavalier's perspective, two parallel straight-lines are represented by parallel straight-lines		

D- Answer by true or false and justify your answer.

- 1) If A & B are two points of a plane (P), then every point M of the straight-line (AB) belongs to (P).
- 2) A point and a straight-line always determine a plane.
- 3) If three points are in two planes at the same time, then they are collinear.

II- Consider the pyramid $SABCD$, whose base is the parallelogram $ABCD$ of center O . Let I & J be the respective midpoints of $[SB]$ & $[SC]$.

1. Determine with justification the following intersections of the plane:
 - a. (ABC) with the plane (ACD) .
 - b. (BED) with the straight line (AO) .
 - c. (ABD) with the plane (AEC) .
2. a) Show that the straight lines (IJ) & (ED) are parallel.
b) Deduce the intersection of the planes (ABC) & (EID) .
3. Show that the straight line (IJ) is parallel to the plane (BCD) .

III- Let $ABCDEFGH$ be a rectangular prism and I and J be the centers of the faces $ADHE$ and $BCGF$ respectively.

- 1) What are, graphically, the straight-lines parallel to (IJ) ?
- 2) Indicate a straight-line which is non-coplanar with (IJ) .
- 3) What is the relative position of the planes:
 - a) (ABF) and (AIJ) ?
 - b) (ABF) and (HGC) ?
 - c) (BCG) and (CFI) ?
- 4) Indicate two secant planes parallel to (IJ) .
- 5) Indicate two straight-lines parallel to plane (EFC) .
- 6) What is the relative position of (IJ) with respect to plane (EDC) ?

IV- Let $ABCD$ be a tetrahedron. I is a point of $[BD]$ such that $\overrightarrow{BI} = \frac{3}{4}\overrightarrow{BD}$, J is the midpoint of

$[AC]$ and K is a point of $[AD]$ such that $\overrightarrow{AK} = \frac{2}{3}\overrightarrow{AD}$.

- 1) Draw the figure and locate I , J and K .
- 2) Find the intersection between the two planes (AIJ) and (ACD) and the two planes (AIJ) and (BCD) . (Justify your answer)
- 3) Construct the intersection between the two planes (IJK) & (BCD) and the two planes (IJK) and (ABC) . (Justify your answer)

V- Consider a tetrahedron $ABCD$. Let I , J and K be three points on $]AB[$, $]AC[$ & $]AD[$ respectively. (IJ) cuts (BC) in E and (JK) cuts (CD) in F .

- 1) If (IK) cuts (BD) in G , show that the points E , F and G are collinear.
- 2) If (IK) is parallel to (BD) , show that (EF) is parallel to (BD) .
- 3) Precise the intersection between the two planes (ABD) and (AEF) .

VI- Construct with justification the intersections in each of the following cases:

A. Given: I is midpt of $[SA]$, $\vec{CJ} = \frac{1}{4}\vec{CS}$ & $\vec{BK} = \frac{3}{4}\vec{BS}$.

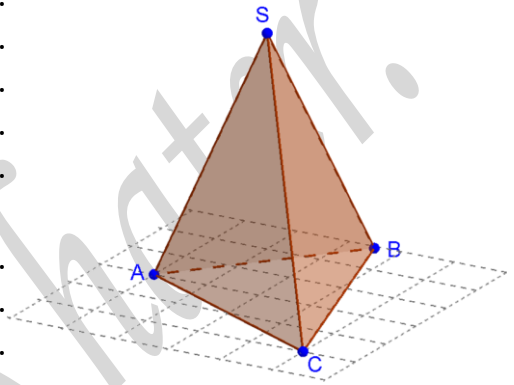
Determine:

a) $(IJ) \cap (ABC)$

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b) $(IJK) \cap (ABC)$

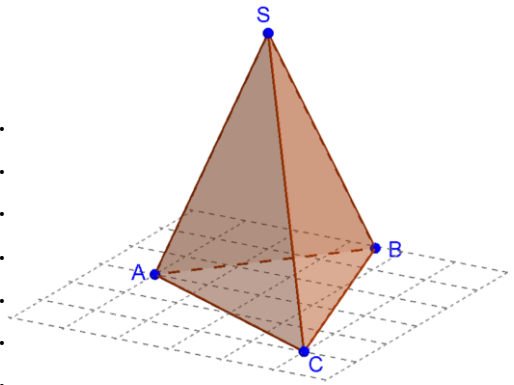
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B. Given: $I \in (SBC)$

Determine $(SAI) \cap (ABC)$

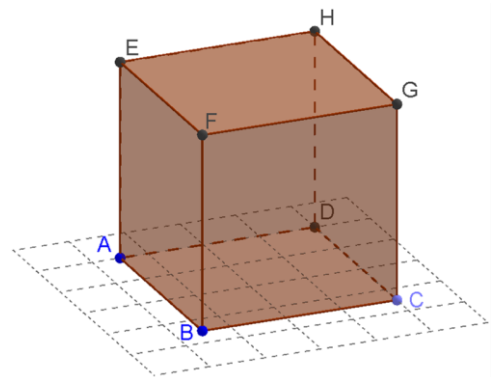
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C. Given: $I = (BG) \cap (FC)$

Determine $(BGH) \cap (FCH)$

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Given: $I \in (SCD)$ P is the midpt of $[SA]$, $\vec{CJ} = \frac{1}{4}\vec{CS}$	Question	Answer	Construction
	1) $(SAI) \cap (ABC)$		
	2) $(SAB) \cap (SCD)$		
	3) $(SAD) \cap (SBC)$		
4) $(PJ) \cap (ABC)$			

Mastering problems		
Chapter	Exercises	Pages
CH-: Space Geometry	2,3 & 4	408
	6	409
	11 & 14	411